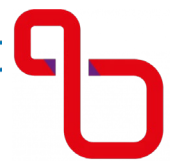




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Observational signs of limited flare area variation and peak flare temperatures estimation in main-sequence flaring stars

Bezovec 2025 – Conference of Young Astronomers

Kamil Bicz, Robert Falewicz, Petr Heinzel, P. Preś, D. Moździerski,
A. Pigulski, D. Marchev, K. Kotysz, T. Atanasova, G. Yordanova, A. Georgiev

June 8, 2025

Bezovec

Stellar Magnetic Activity

Stellar magnetic activity arises from strong magnetic fields, particularly in young, rapidly rotating late-type stars (e.g., K and M dwarfs – but not only!).

It leads to observable phenomena such as:

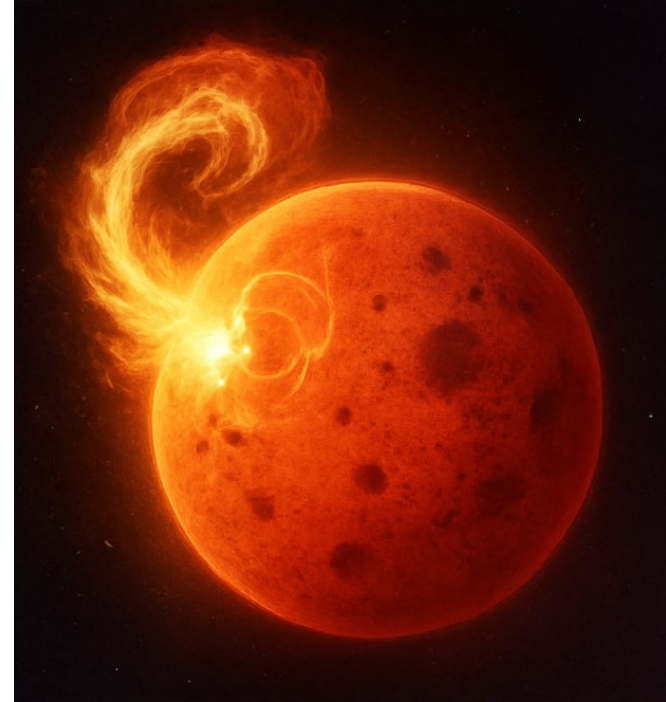
Flares: Sudden energy bursts across the whole electromagnetic spectrum from magnetic reconnection in the stellar corona.

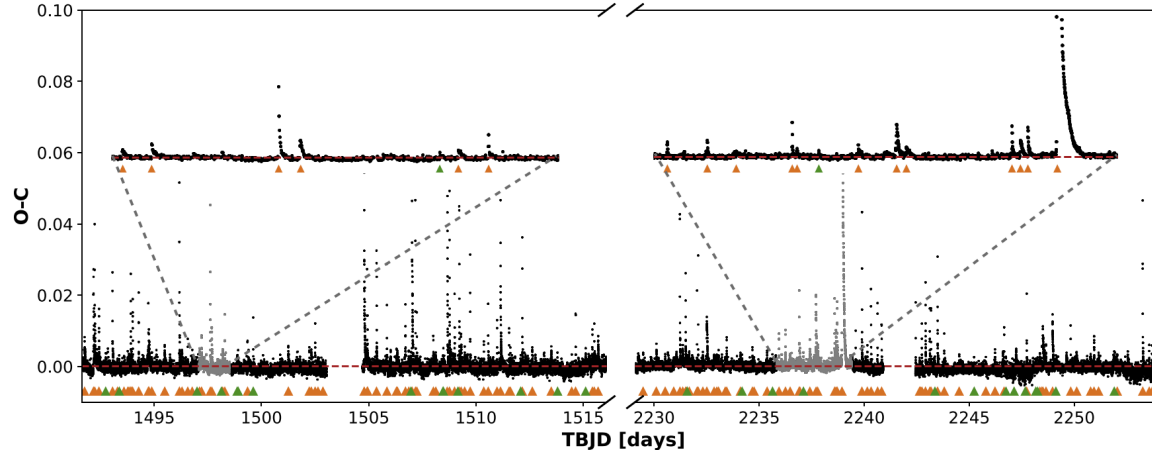
Starspots: Cool, dark „surface” regions caused by magnetic flux inhibiting convection.

Enhanced Winds: Stronger, magnetized plasma outflows than the solar wind.

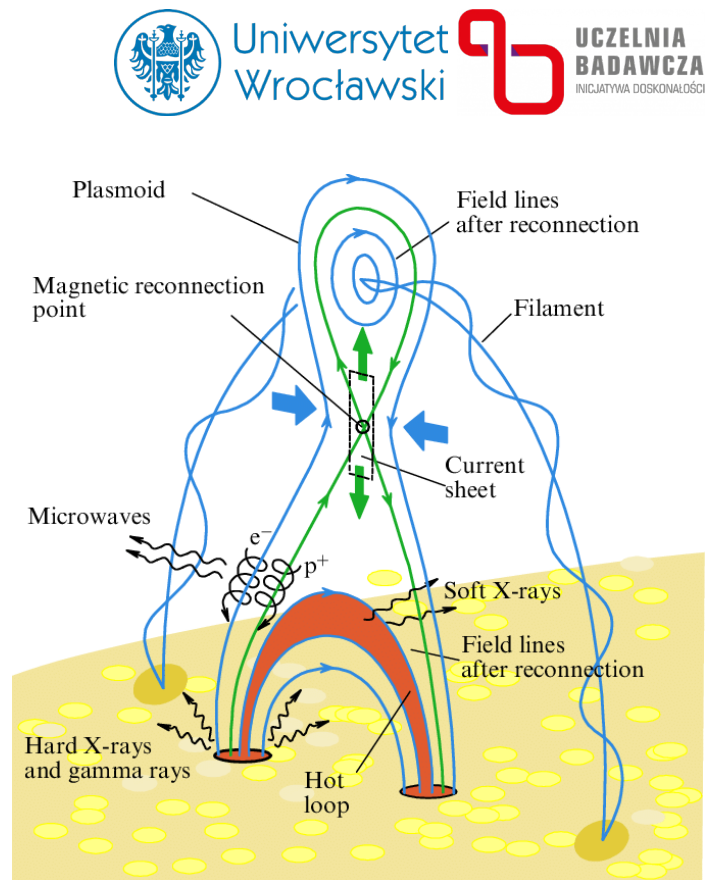
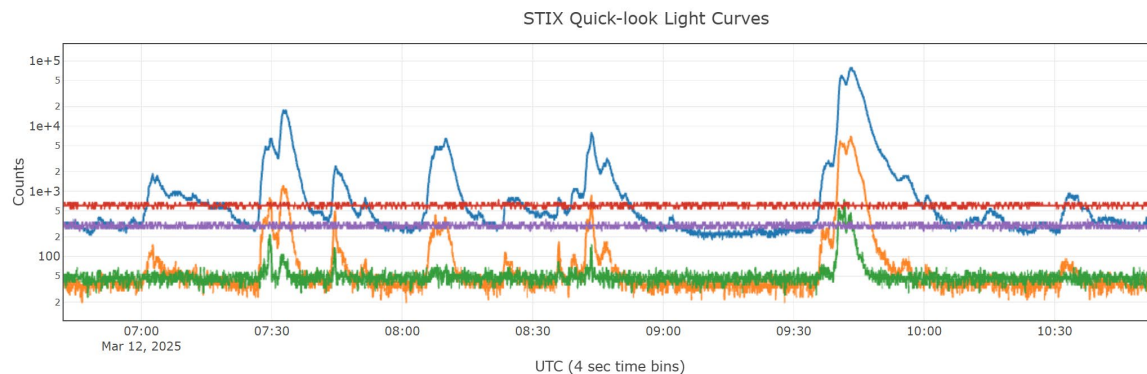
Magnetic Cycles: Periodic or chaotic changes in activity, similar to the Sun's 11-year cycle.

These features cause variability across wavelengths, especially in X-ray and radio domains.



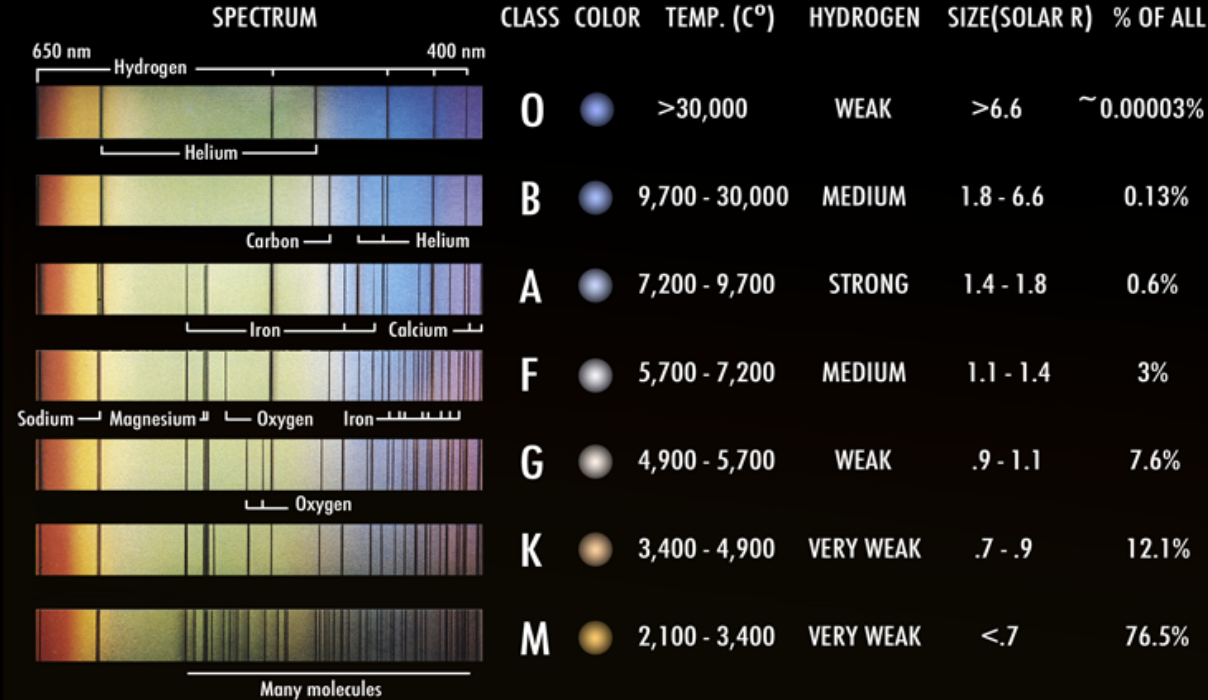


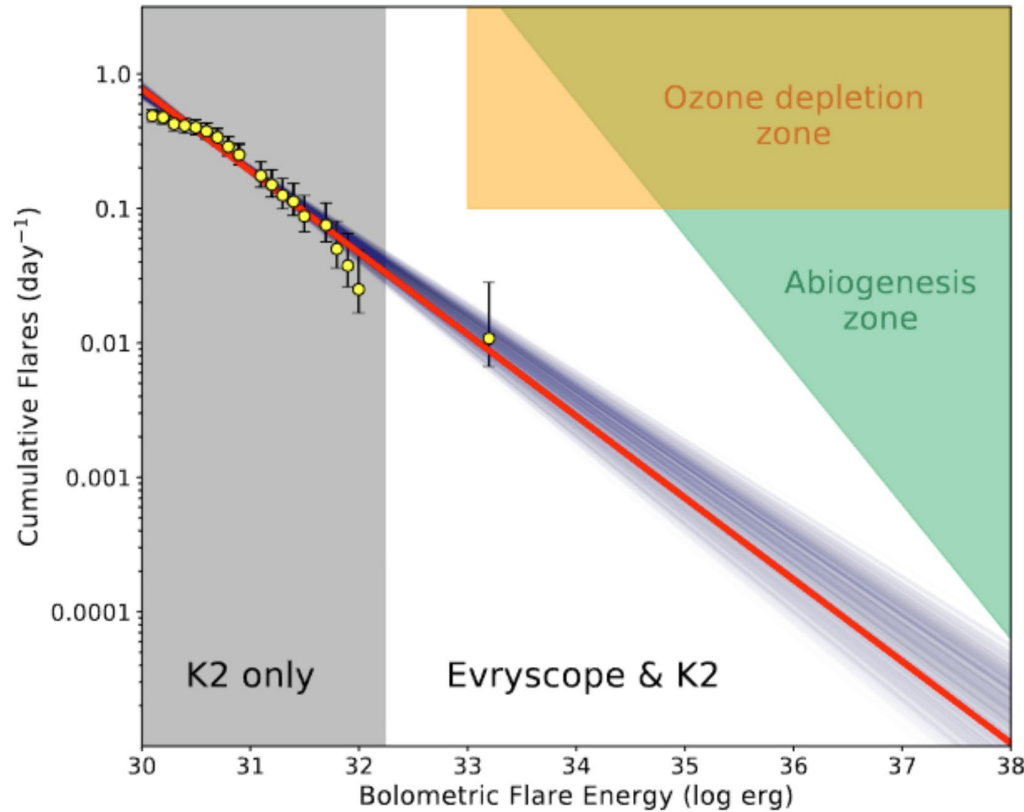
Bicz et al., 2022



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STELLAR CLASSIFICATION (MAIN-SEQUENCE)



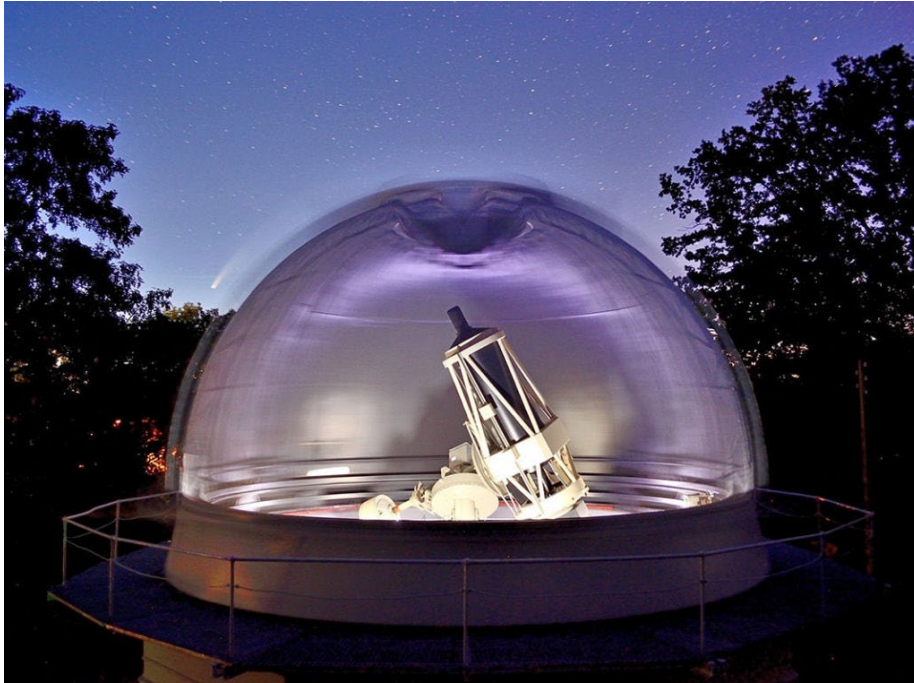


Glazier et al., 2020



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Astronomical Observatory University of Wrocław, Białków



Transiting Exoplanet Survey Satellite TESS



Kamil Bicz, Astronomical Institute, University of Wrocław

EV Lac

$$\text{SpT} = \text{M4Ve}$$

$$T_{\text{eff}} = 3\,300 \pm 200 \text{ K}$$

$$R = 0.34 \pm 0.01 R_{\odot}$$

$$M = 0.32 \pm 0.02 M_{\odot}$$

$$d = 5.05 \text{ pc}$$

$$P_{\text{rot}} = 4.359 \text{ days}$$

High flaring and spot activity

Kamil Bicz

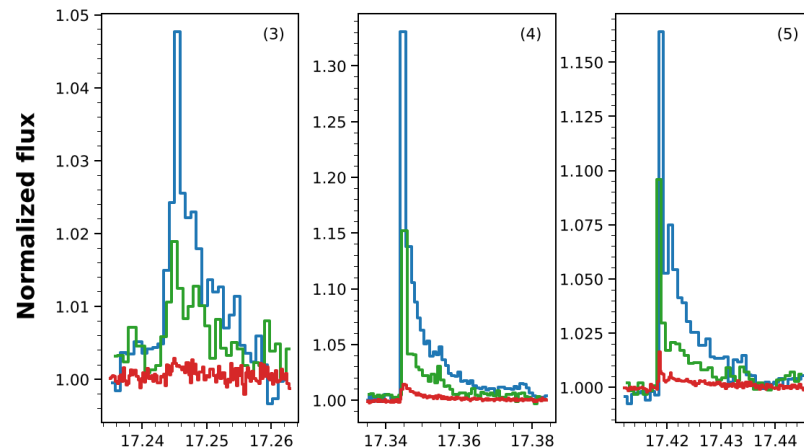
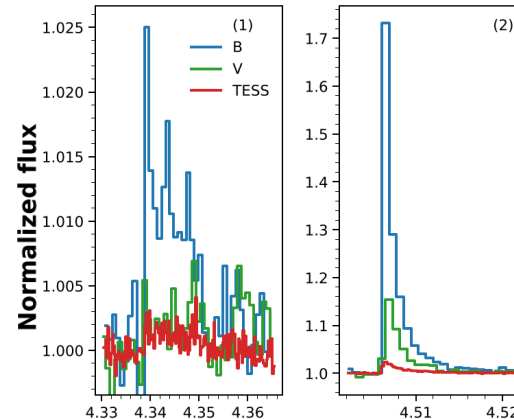
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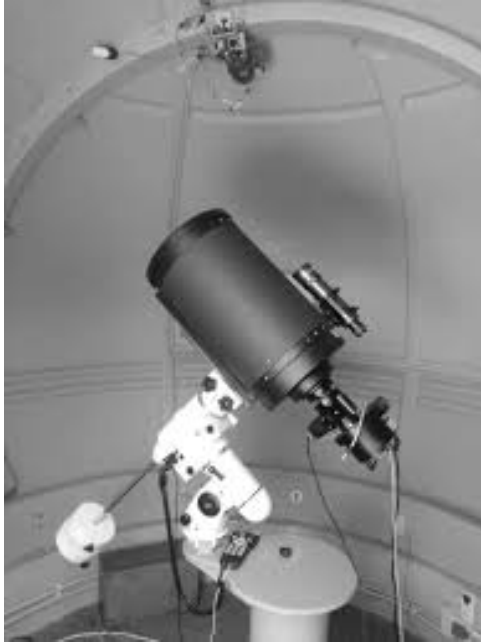
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HJD - 2459855 [days]

Shumen Astronomical Observatory Bulgaria



Transiting Exoplanet Survey Satellite TESS



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V374 Peg

SpT = M3.5Ve

$T_{\text{eff}} = 3\,200 \pm 200 \text{ K}$

$R = 0.31 \pm 0.01 R_{\odot}$

$M = 0.29 \pm 0.02 M_{\odot}$

$d = 9.1 \text{ pc}$

$P_{\text{rot}} = 0.4457572 \pm 0.0000002 \text{ days}$

High flaring and spot activity

Kamil Bicz

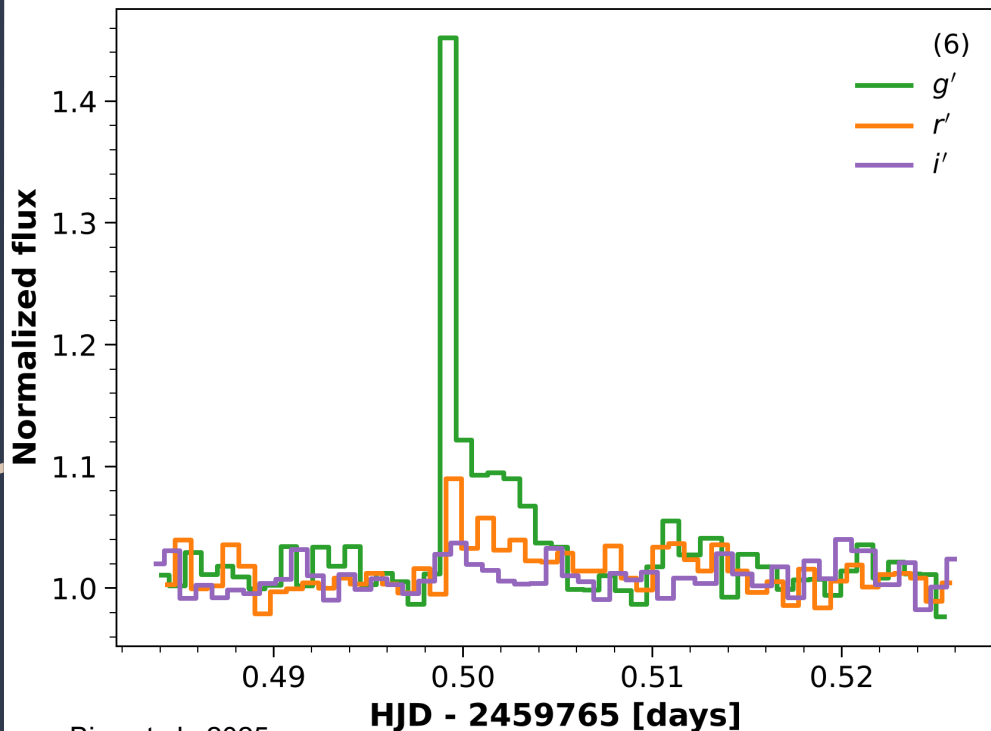
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GJ 1243

SpT = M4Ve

$T_{\text{eff}} = 3\,200 \pm 200 \text{ K}$

$R = 0.27 \pm 0.01 R_{\odot}$

$M = 0.24 \pm 0.02 M_{\odot}$

$d = 11.95 \text{ pc}$

$P_{\text{rot}} = 0.59260 \pm 0.00021 \text{ days}$

High flaring and spot activity

Kamil Bicz

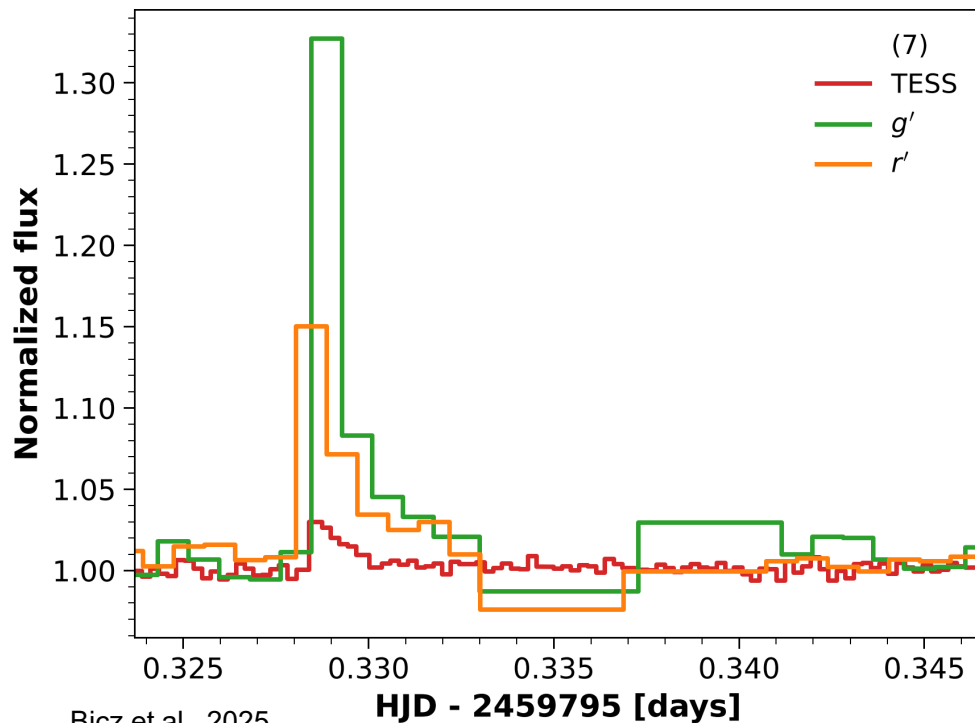
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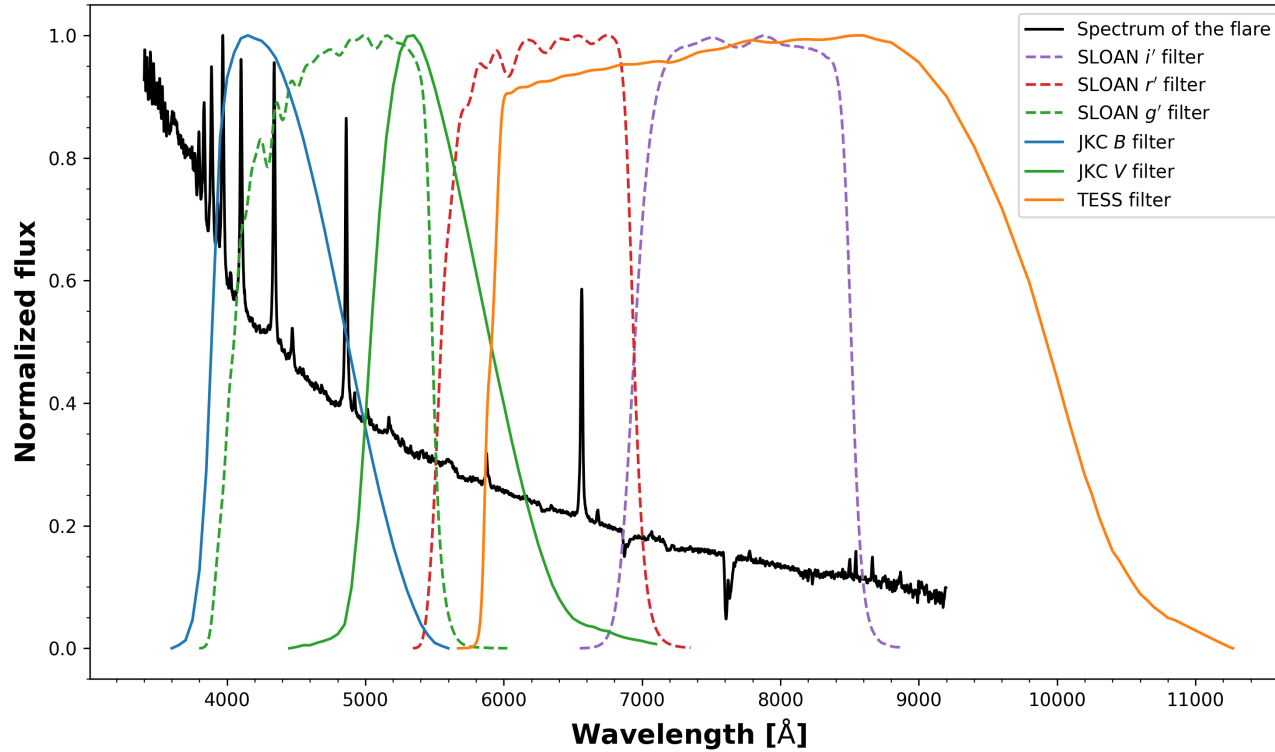


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Flare #	Observational night [YYYY-MM-DD/DD]	Observatory	Star	Used bandpasses	Bandpasses cadences [s]	TESS sector
1	2022-10-06/07	Białków	EV Lac	B, TESS	70, 20	57
2	2022-10-06/07	Białków	EV Lac	B, TESS	70, 20	57
3	2022-10-06/07	Białków	EV Lac	B, TESS	70, 20	57
4	2022-10-21/22	Białków	EV Lac	B, TESS	70, 20	57
5	2022-10-21/22	Białków	EV Lac	B, TESS	70, 20	57
6	2022-07-04/05	Shumen	V374 Peg	g', r'	70, 70	—
7	2022-08-02/03	Shumen	GJ 1243	g', r', TESS	70, 70, 20	54

Bicz et al., 2025

Flare #	TIC	Obs. time (UTC)	Peak T_{eff} [K]	SpT.
8	220433364	18-11-03 02:35	$9\,400 \pm 300$	M4Ve ¹
9	140045538	18-08-14 01:52	$7\,500 \pm 500$	M2Ve ²
10	294750180	18-10-20 05:36	$34\,000 \pm 2\,300$	M1Ve ²
11	229807000	18-08-19 07:46	$15\,500 \pm 400$	M2.5Ve ³
12	294750180	18-08-20 07:23	$14\,400 \pm 400$	M1Ve ²
13	441398770	18-08-12 01:57	$14\,500 \pm 3\,000$	M4.5Ve ⁴
14	388857263	19-06-03 04:37	$8\,100 \pm 400$	M5.5Ve ⁵
15	201919099	18-10-05 08:23	$9\,700 \pm 300$	K5Ve ²

Notes. The date is expressed in a format YY-MM-DD hh:mm.

¹Henry et al. (2002)

²Torres et al. (2006)

³Riedel et al. (2017)

⁴Joy & Abt (1974)

⁵Bessell (1991)

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<https://doi.org/10.3847/1538-4357/abb5b4>



EvryFlare. III. Temperature Evolution and Habitability Impacts of Dozens of Superflares Observed Simultaneously by Evryscope and TESS

Ward S. Howard¹ , Hank Corbett¹ , Nicholas M. Law¹ , Jeffrey K. Ratzloff¹ , Nathan Gallier¹ , Amy L. Glazier¹ ,
Ramses Gonzalez¹, Alan Vasquez Soto¹ , Octavi Fors^{1,2} , Daniel del Ser^{1,2}, and Joshua Haislip¹

¹Department of Physics and Astronomy, University of North Carolina at Chapel Hill, Chapel Hill, NC 27599-3255, USA; wshoward@unc.edu

²Dept. de Física Quàntica i Astrofísica, Institut de Ciències del Cosmos (ICCUB), Universitat de Barcelona, IEEC-UB, Martí i Franquès 1, E-08028 Barcelona, Spain

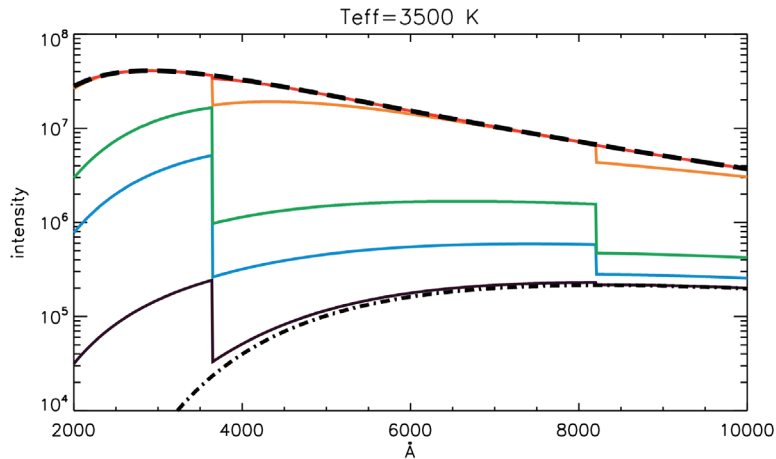
Received 2020 July 3; revised 2020 September 1; accepted 2020 September 1; published 2020 October 19

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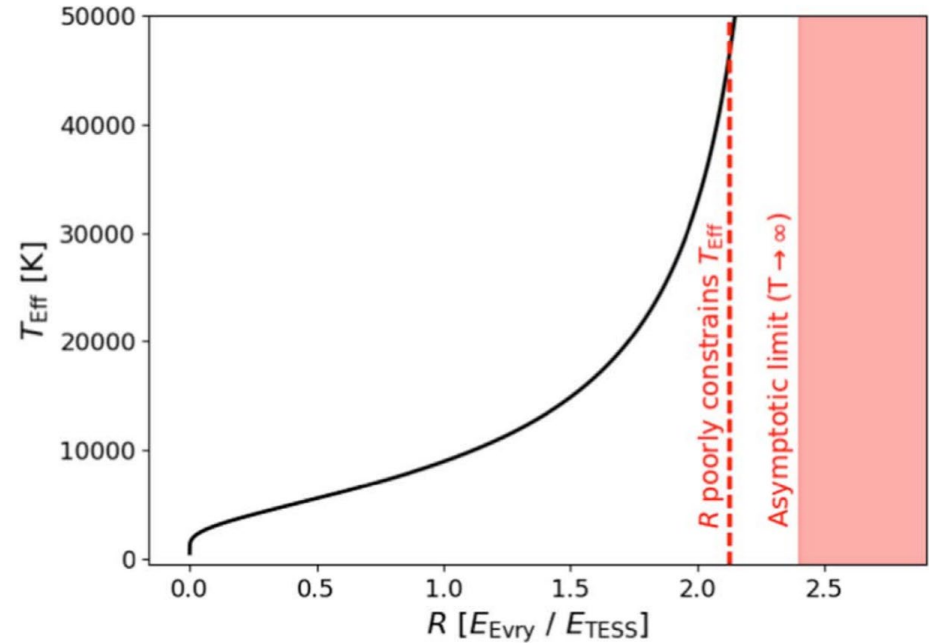
$$F_{\lambda} = \frac{A_{\text{fl}} B_{\lambda}(T_{\text{fl}})}{d^2}. \quad (1)$$

Assuming A_{fl} does not vary appreciably between the g' and T bandpasses and the areas cancel, dividing $F_{g'}$ by F_T results in the following equation:

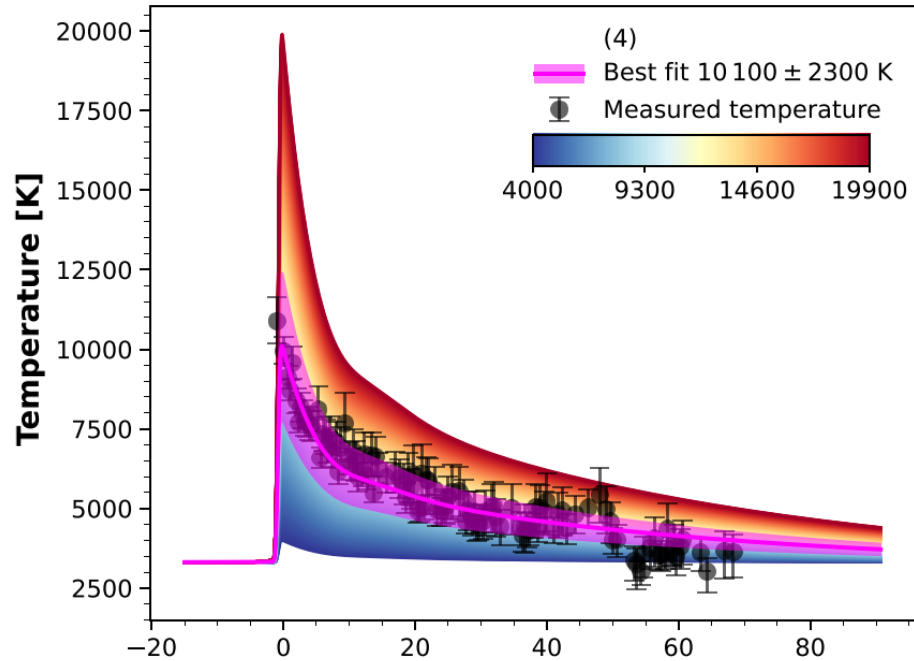
$$\frac{F_{g'}}{F_T} = \frac{X_{g'} B_{g'}(T_{\text{fl}})}{X_T B_T(T_{\text{fl}})} \approx \frac{B_{g'}(T_{\text{fl}})}{B_T(T_{\text{fl}})}. \quad (2)$$



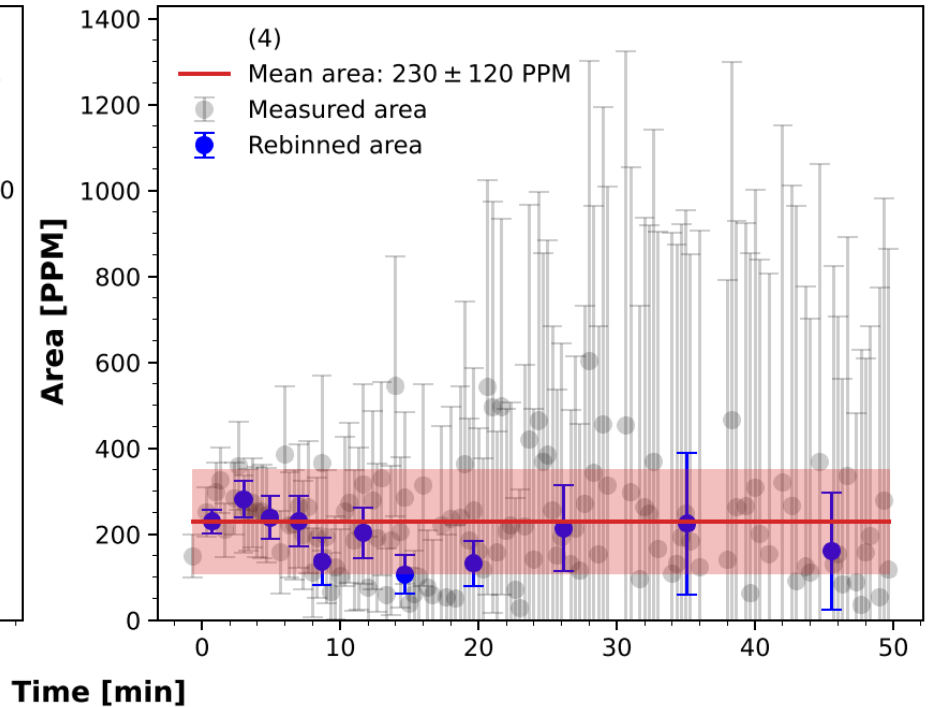
$$I_{\nu} = I_{\text{bg}} e^{-\tau_{\nu}} + S_{\nu} (1 - e^{-\tau_{\nu}}) \quad \text{Heinzel, 2024}$$



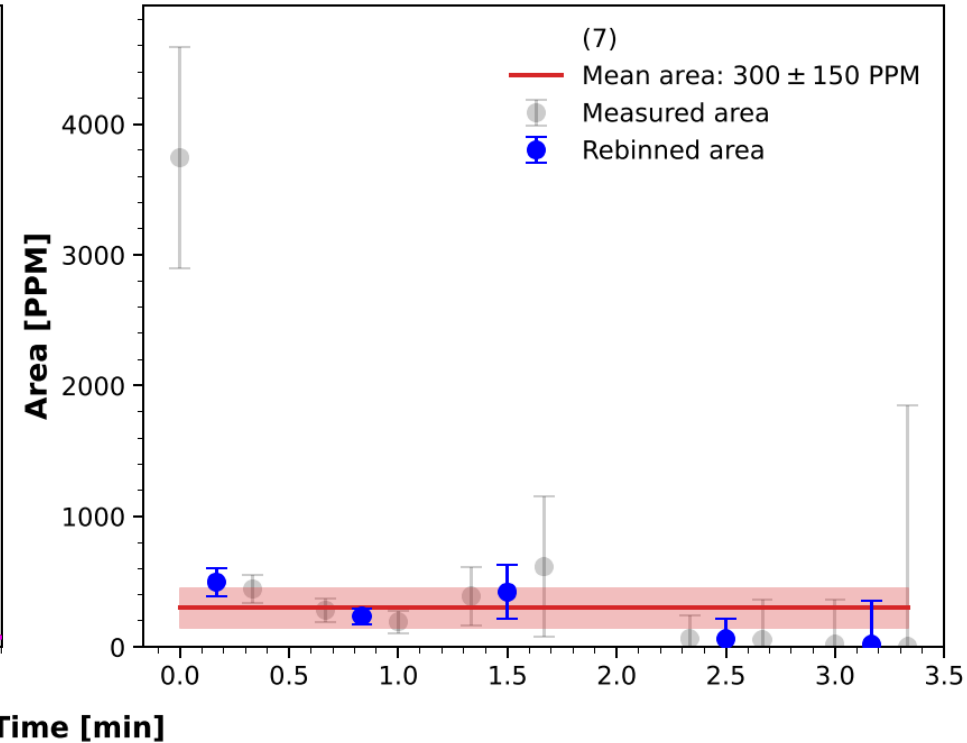
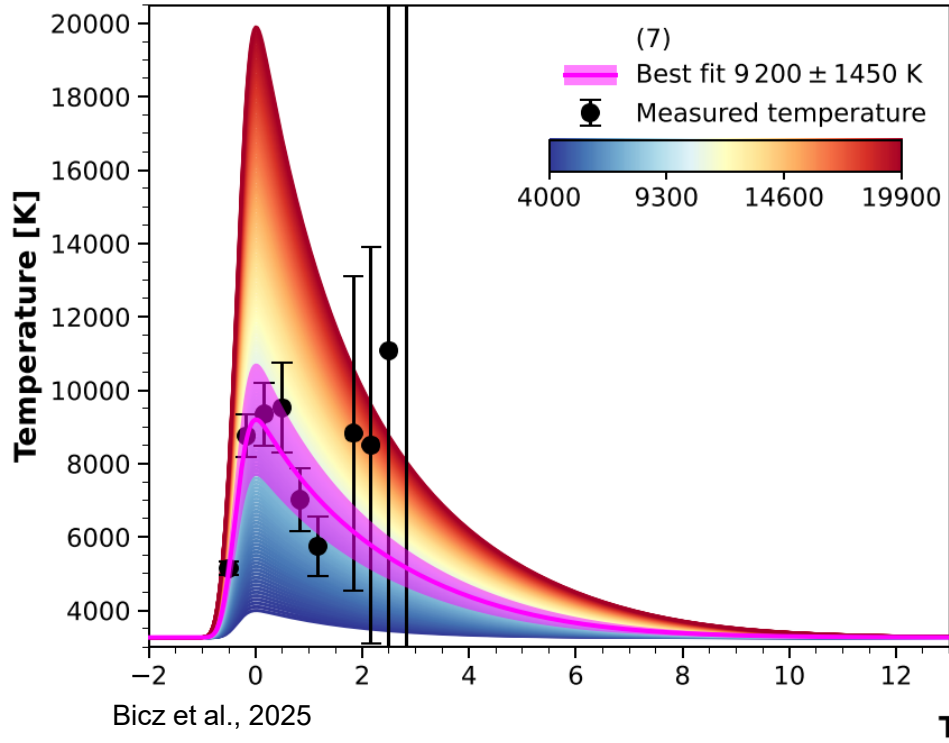
Howard et al., 2020

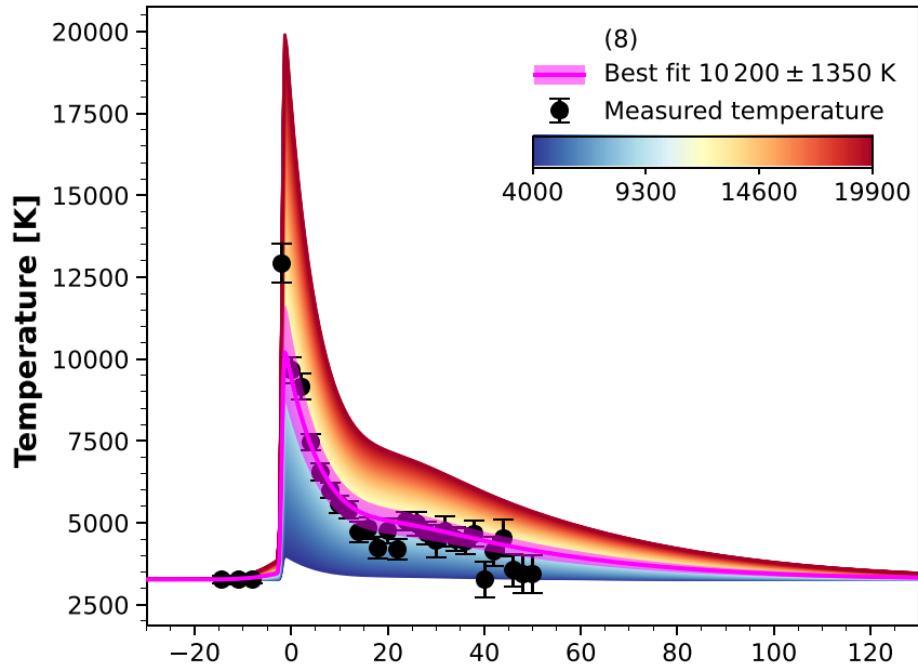


Bicz et al., 2025

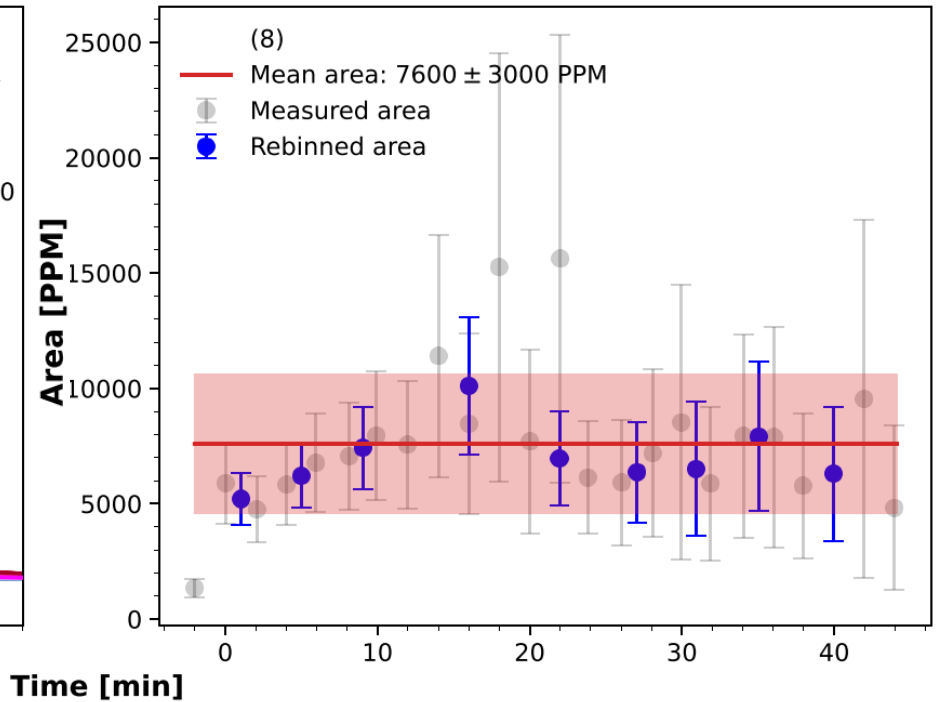


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Constant flare temperature $T_{\text{flare}} = 10\,000\text{ K}$

$$C_{\text{flare}} = \frac{F_{\text{flare}}}{F_{\text{star}}}, \quad (14)$$

where F_{star} is the observed luminosity of the star and F_{flare} is the observed luminosity of the flare:

$$F_{\text{star}} = \pi R_{\text{star}}^2 \int S_{\text{TESS}} B_{\lambda}(T_{\text{eff}}) d\lambda, \quad (15)$$

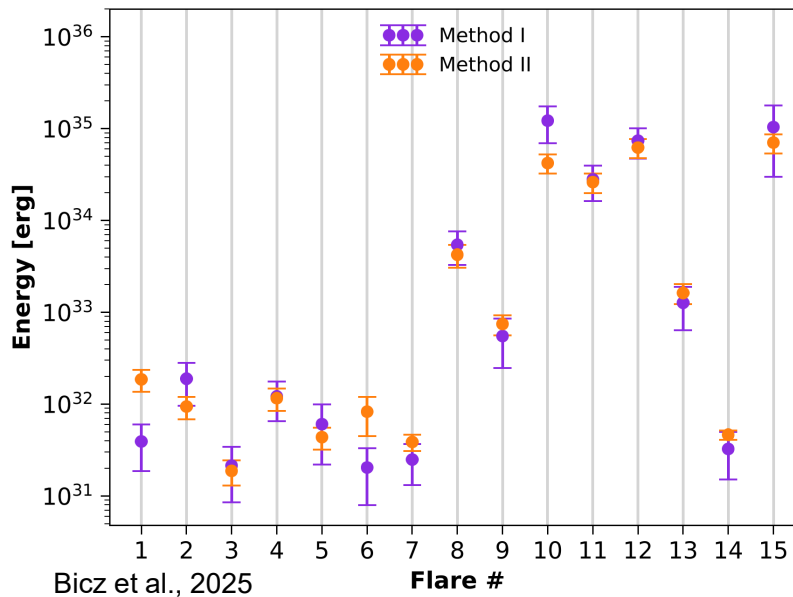
$$F_{\text{flare}} = C_{\text{flare}} \int S_{\text{TESS}} B_{\lambda}(T_{\text{flare}}) d\lambda, \quad (16)$$

$$A_{\text{flare}} = C_{\text{flare}} \pi R_{\text{star}}^2 \frac{\int S_{\text{TESS}} B_{\lambda}(T_{\text{eff}}) d\lambda}{\int S_{\text{TESS}} B_{\lambda}(T_{\text{flare}}) d\lambda}, \quad (17)$$

where S_{TESS} is the TESS response function, and B_{λ} is the Planck function. The bolometric flare energy can then be calculated from:

$$E_{\text{flare}} = \sigma_{\text{SB}} T_{\text{flare}}^4 \int_{\text{flare}} A_{\text{flare}}(t) dt. \quad (18)$$

$$E_{\text{flare}} = \sum_{i=0}^{n-1} \left(A_{\text{flare}, i} \Delta t_i \pi \int_0^{+\infty} B_{\lambda}(T_{\text{flare}, i}) d\lambda \right),$$



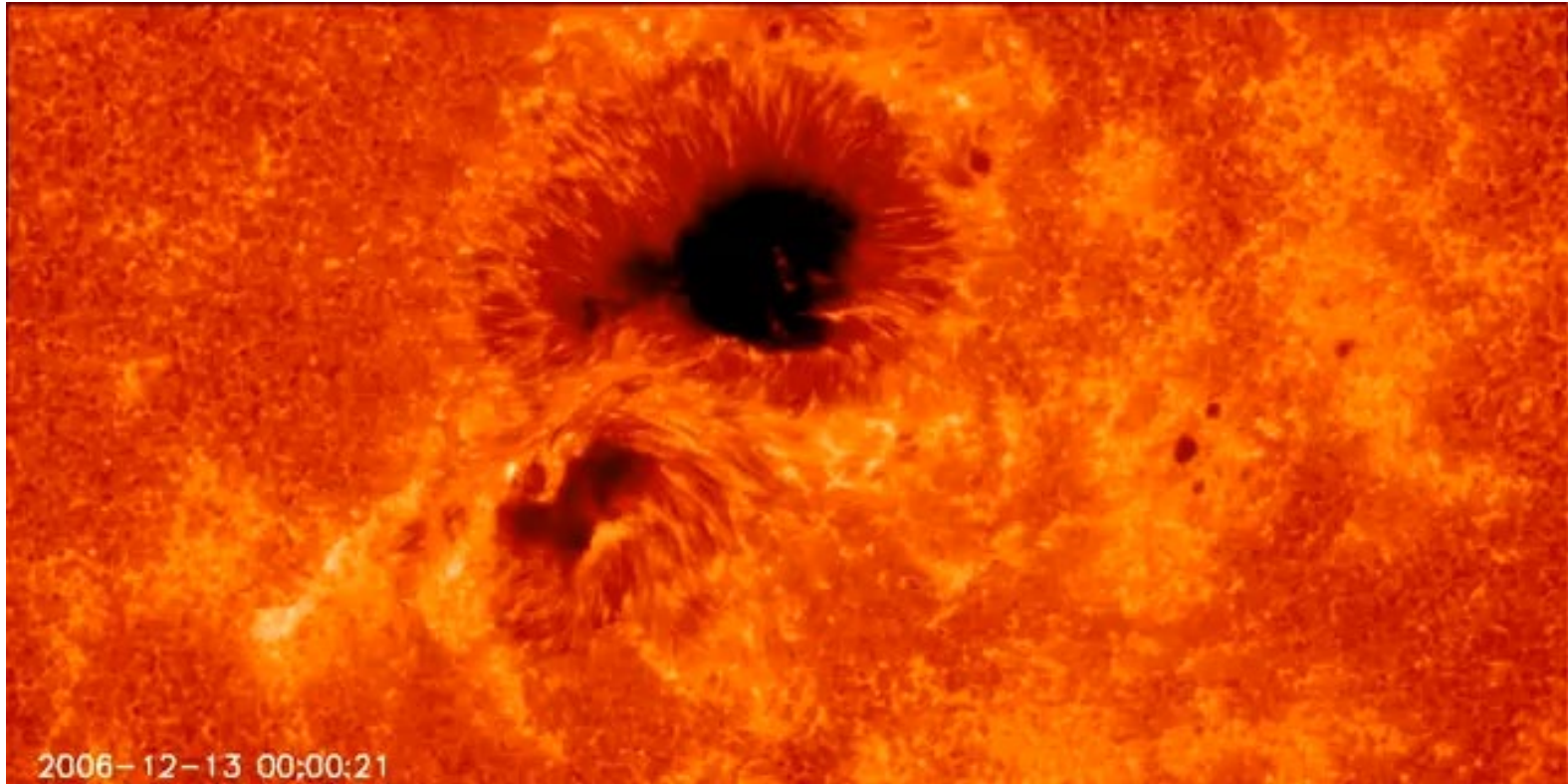




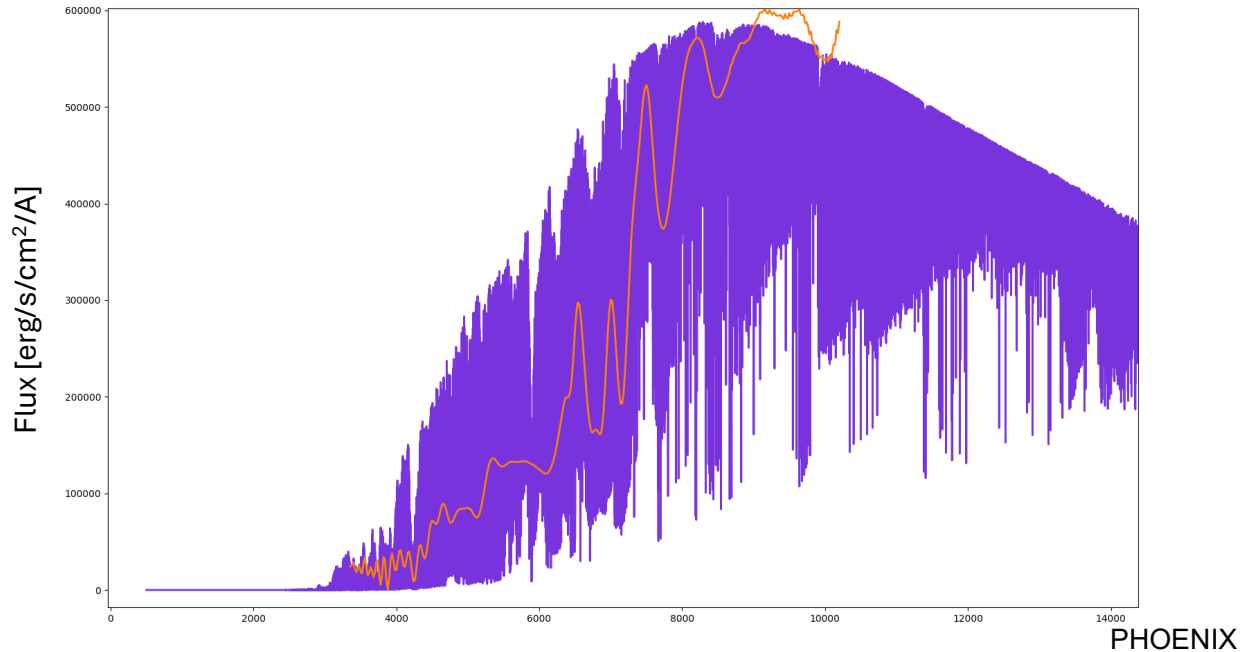
Table 3. Peak temperatures, mean areas, and F-test results for constancy of flare area over time.

Flare #	T_{flare} [K]	A_{flare} [ppm]	Relative area change [%]	p value	Method I [erg]	Method II [erg]
1	$5\,700 \pm 450$	210 ± 120	17	0.15	$(3.9 \pm 2.1) \times 10^{31}$	$(1.9 \pm 0.5) \times 10^{32}$
2	$13\,900 \pm 1\,900$	370 ± 180	33	0.13	$(1.9 \pm 0.9) \times 10^{32}$	$(9.4 \pm 2.6) \times 10^{31}$
3	$6\,400 \pm 1\,800$	150 ± 90	43	0.49	$(2.1 \pm 1.3) \times 10^{31}$	$(1.9 \pm 0.6) \times 10^{31}$
4	$10\,100 \pm 2\,300$	230 ± 120	10	0.64	$(1.2 \pm 0.6) \times 10^{32}$	$(1.2 \pm 0.3) \times 10^{32}$
5	$11\,100 \pm 3\,150$	220 ± 140	61	0.24	$(6.1 \pm 3.9) \times 10^{31}$	$(4.4 \pm 1.2) \times 10^{31}$
6	$17\,500 \pm 10\,000$	50 ± 30	33	0.57	$(2.0 \pm 1.3) \times 10^{31}$	$(8.3 \pm 3.8) \times 10^{31}$
7	$9\,200 \pm 1\,450$	300 ± 150	51	0.45	$(2.5 \pm 1.2) \times 10^{31}$	$(3.9 \pm 0.8) \times 10^{31}$
8	$10\,200 \pm 1\,350$	$7\,600 \pm 3\,000$	13	0.38	$(5.4 \pm 2.2) \times 10^{33}$	$(4.2 \pm 1.2) \times 10^{33}$
9	$7\,000 \pm 3\,100$	440 ± 240	18	0.63	$(5.5 \pm 3.0) \times 10^{32}$	$(7.5 \pm 1.9) \times 10^{32}$
10	$31\,500 \pm 10\,050$	$3\,200 \pm 1\,200$	14	0.46	$(1.2 \pm 0.5) \times 10^{35}$	$(4.2 \pm 1.0) \times 10^{34}$
11	$18\,200 \pm 2\,850$	$2\,900 \pm 1\,200$	41	0.07	$(2.8 \pm 1.2) \times 10^{34}$	$(2.6 \pm 0.6) \times 10^{34}$
12	$15\,400 \pm 3\,550$	$4\,700 \pm 1\,400$	19	0.11	$(7.4 \pm 2.7) \times 10^{34}$	$(6.2 \pm 1.5) \times 10^{34}$
13	$12\,600 \pm 7\,050$	410 ± 160	27	0.14	$(1.3 \pm 0.6) \times 10^{33}$	$(1.6 \pm 0.4) \times 10^{33}$
14	$7\,500 \pm 2\,350$	380 ± 200	39	0.21	$(3.3 \pm 1.7) \times 10^{31}$	$(4.6 \pm 0.6) \times 10^{31}$
15	$12\,500 \pm 2\,650$	$2\,200 \pm 1\,500$	10	0.51	$(1.0 \pm 0.7) \times 10^{35}$	$(7.0 \pm 1.7) \times 10^{34}$

Notes. The p value of the F-statistic shows whether the slope of the regression is statistically significant, meaning whether the flare area changes over time. The relative area change below Flare 7 separates our observed flares from the data presented in [Howard et al. \(2020\)](#).

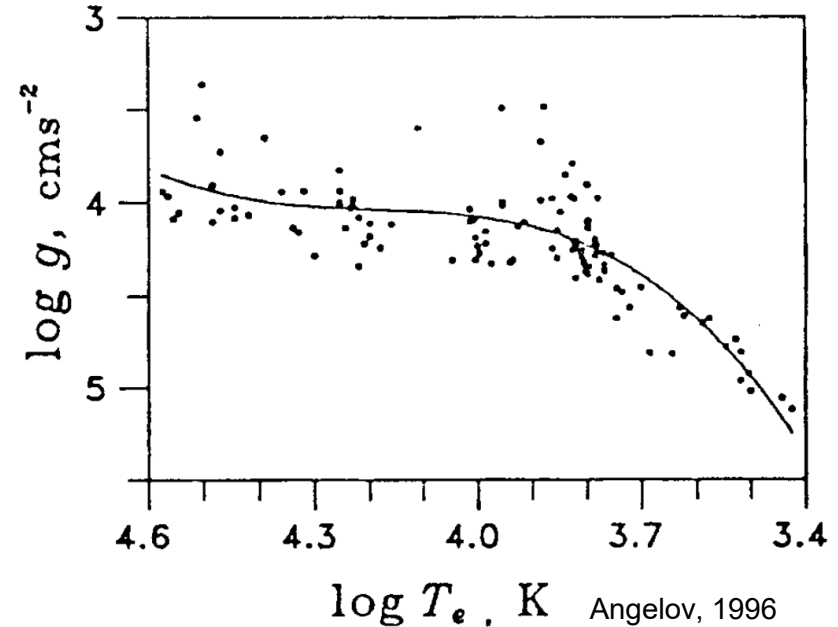
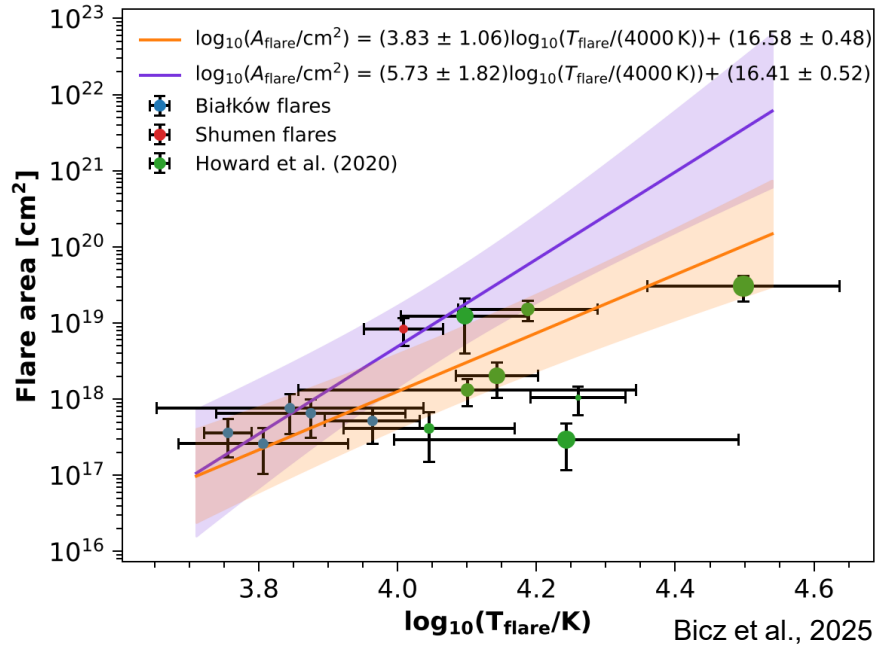
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Is it possible to correlate the star's effective temperature with the flare's peak temperature and amplitude?



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Is it possible to correlate the star's effective temperature with the flare's peak temperature and amplitude?



Cassisi & Salaris (2019), for the stars that have effective temperatures in the range $2700 \text{ K} \leq T_{\text{eff}} \leq 3200 \text{ K}$

$$R_{\text{star}}(T_{\text{eff}}) [R_{\odot}] = (1.644 (T_{\text{eff}}/5777) - 0.677) \pm 0.1. \quad (10)$$

Similarly, the next equation presents the corrected relation from Boyajian et al. (2017), for stars that have effective temperatures in the range $3200 \text{ K} < T_{\text{eff}} \leq 5500 \text{ K}$

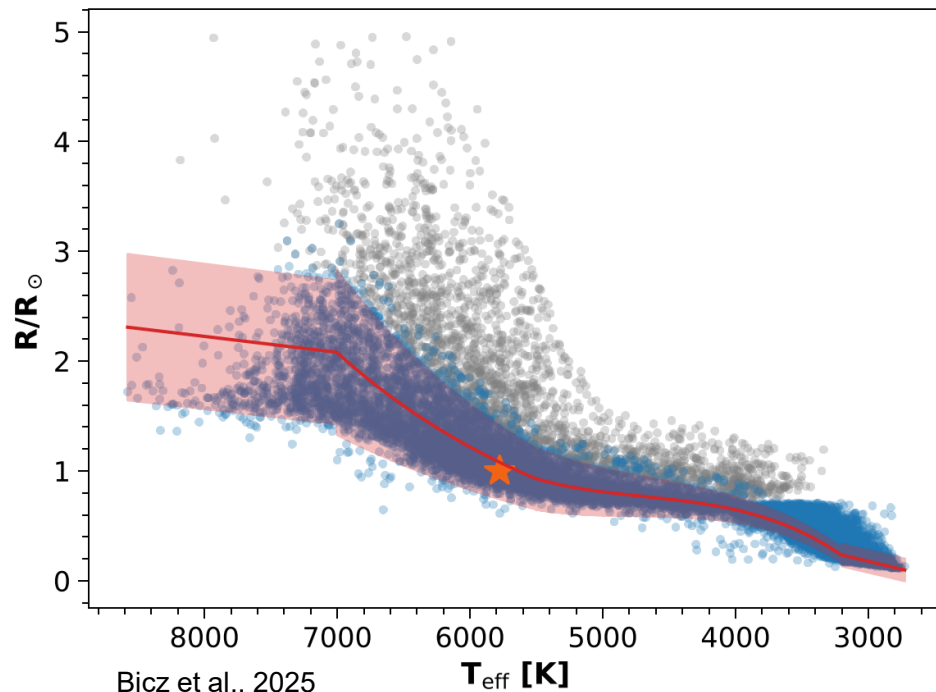
$$\begin{aligned} R_{\text{star}}(T_{\text{eff}}) [R_{\odot}] = & (-10.933 \pm 0.014) + \\ & + (7.188 \pm 0.009) \times 10^{-3} T_{\text{eff}} - \\ & + (1.510 \pm 0.002) \times 10^{-6} T_{\text{eff}}^2 + \\ & + (1.076 \pm 0.016) \times 10^{-10} T_{\text{eff}}^3. \end{aligned} \quad (11)$$

The following equations represent our fitted models for main-sequence stars, each applying to different temperature ranges. For stars with effective temperatures in the range $5500 \text{ K} < T_{\text{eff}} \leq 7000 \text{ K}$, the stellar radius is given by:

$$\begin{aligned} R_{\text{star}}(T_{\text{eff}}) [R_{\odot}] = & 10^{(0.000220 \pm 0.000021) \cdot T_{\text{eff}} - (1.209 \pm 0.178)} - \\ & + (0.080 \pm 0.002). \end{aligned} \quad (12)$$

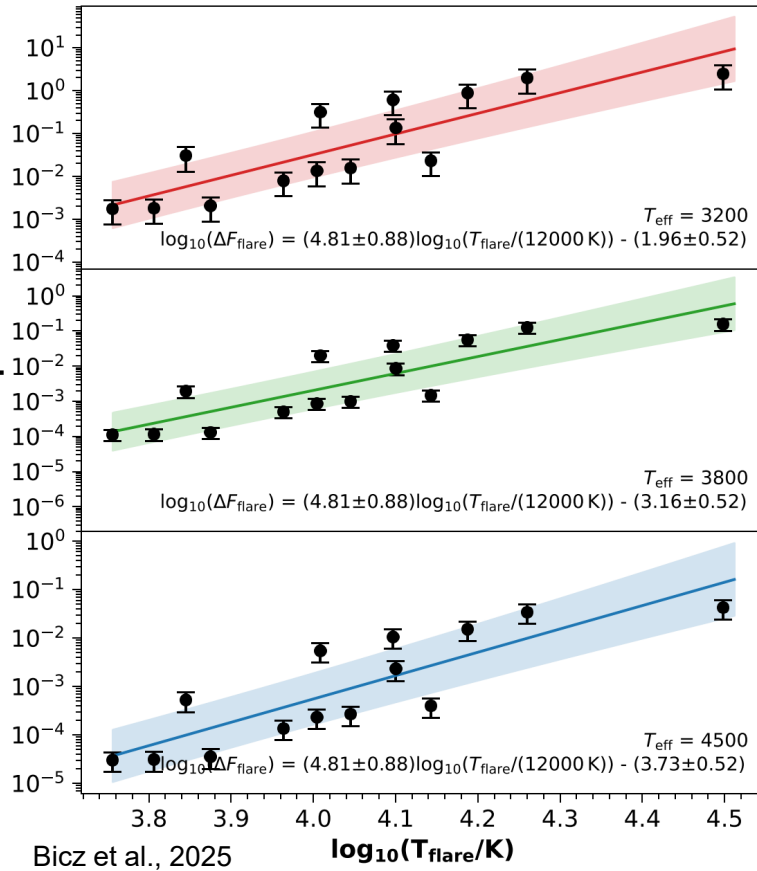
For stars with effective temperatures in the range $7000 \text{ K} < T_{\text{eff}} \leq 8600 \text{ K}$, the stellar radius follows the relation:

$$R_{\text{star}}(T_{\text{eff}}) [R_{\odot}] = \left((14.48 \pm 2.638) \times 10^{-5} \right) \cdot T_{\text{eff}} + (1.067 \pm 0.625).$$





Flare's amplitude

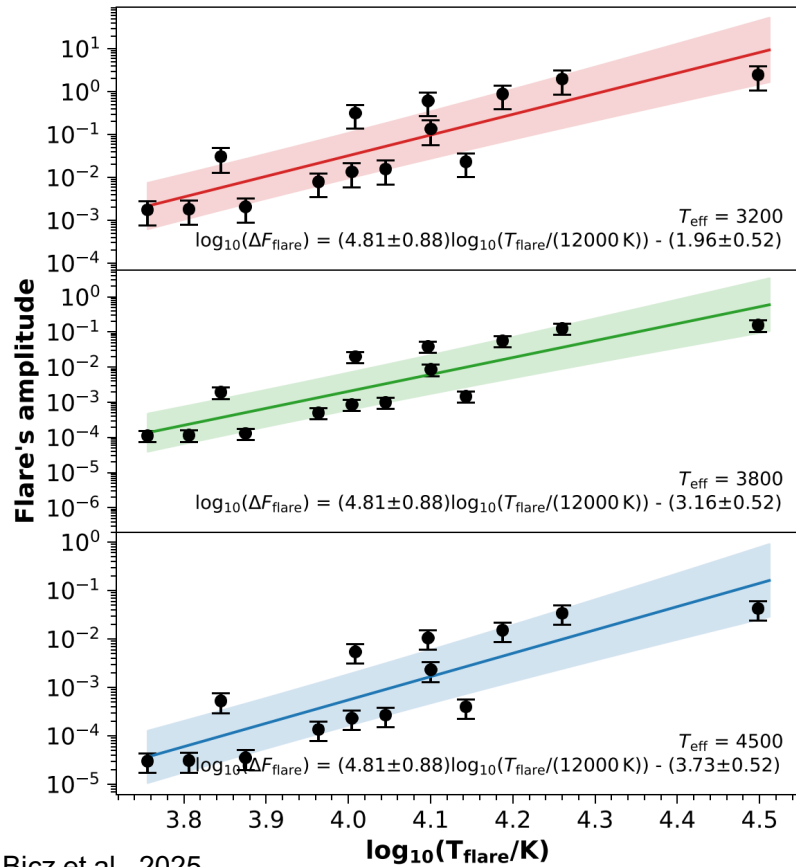


$$L_{\text{flare}} = A_{\text{flare}} \int_{\lambda_1}^{\lambda_2} B_{\lambda}(T_{\text{flare}}) S_{\text{TESS}} d\lambda,$$

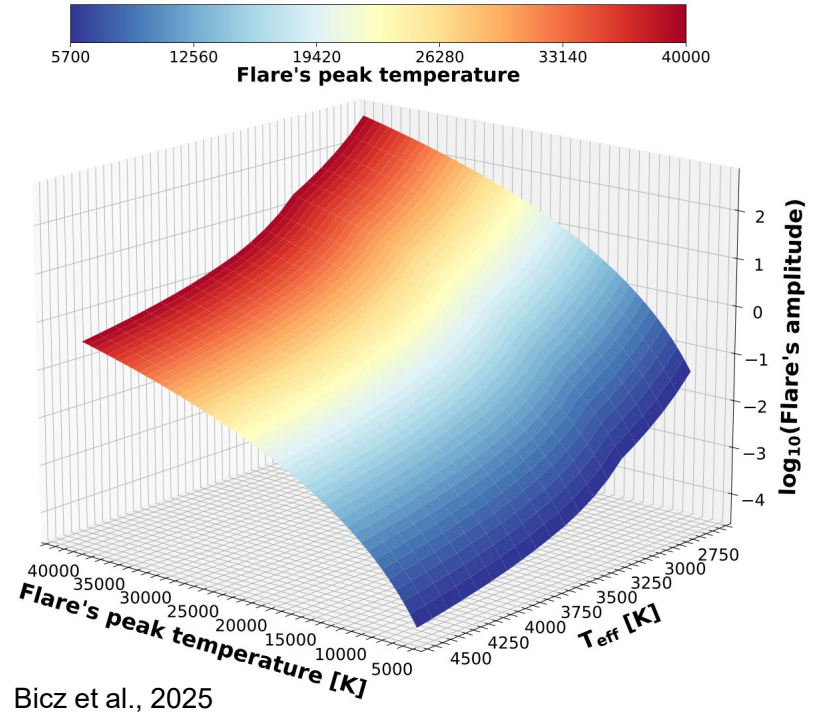
+

$$L_{\text{star}} = \pi R_{\text{star}}^2 \int_{\lambda_1}^{\lambda_2} \mathcal{F}_{\lambda} S_{\text{TESS}} d\lambda,$$

$$\log_{10}(\Delta F_{\text{flare}}) = a \cdot \log_{10}(T_{\text{flare}}) + b,$$



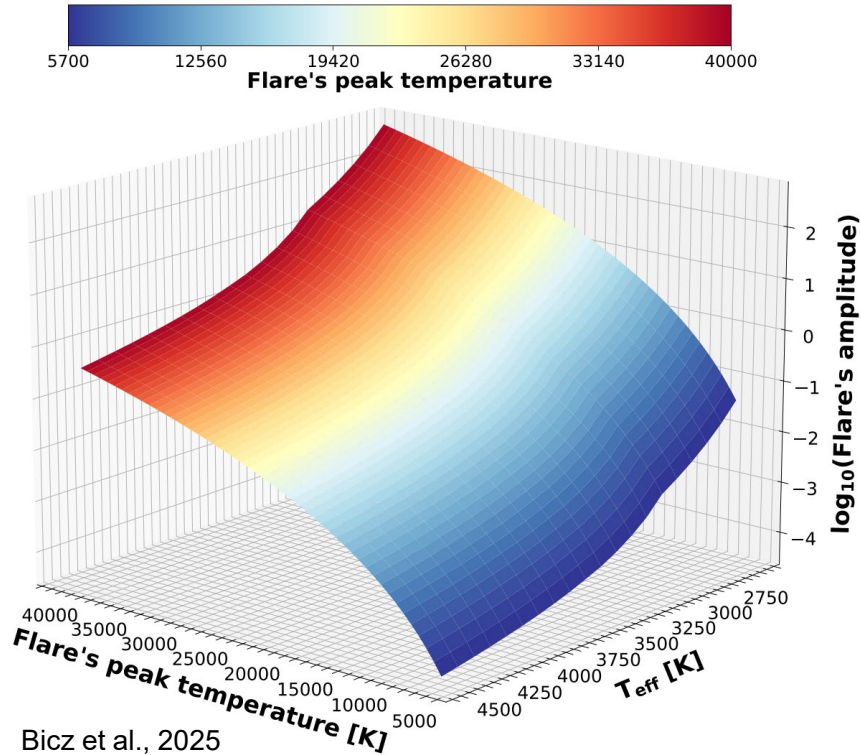
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It is now possible to estimate the temperature of the stellar flare using single-color photometry!

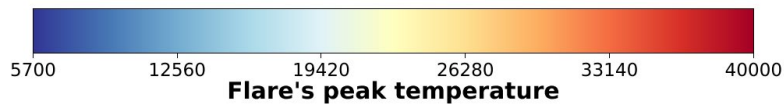


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Want to use our grid?
Just scan me!



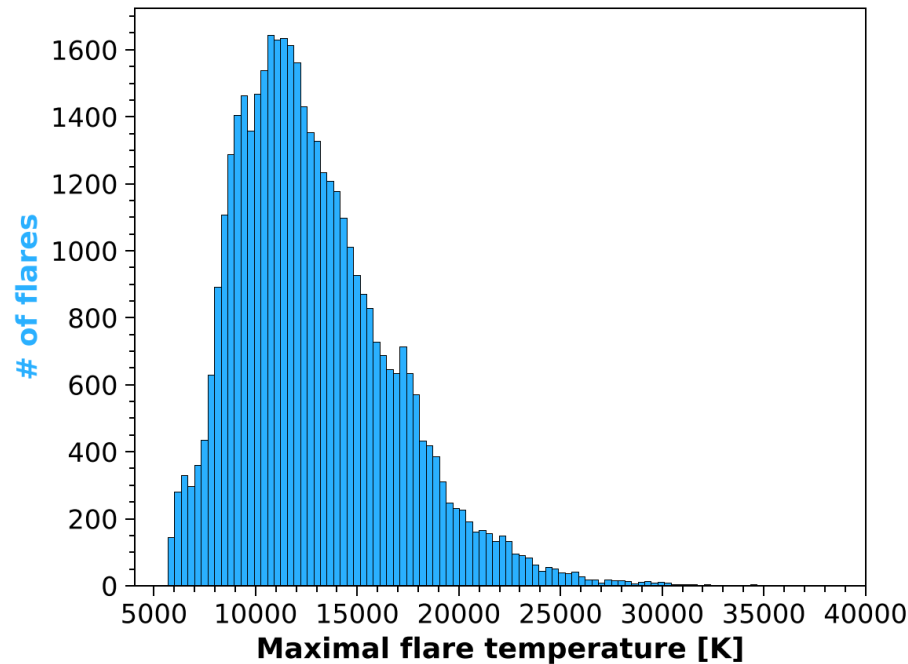
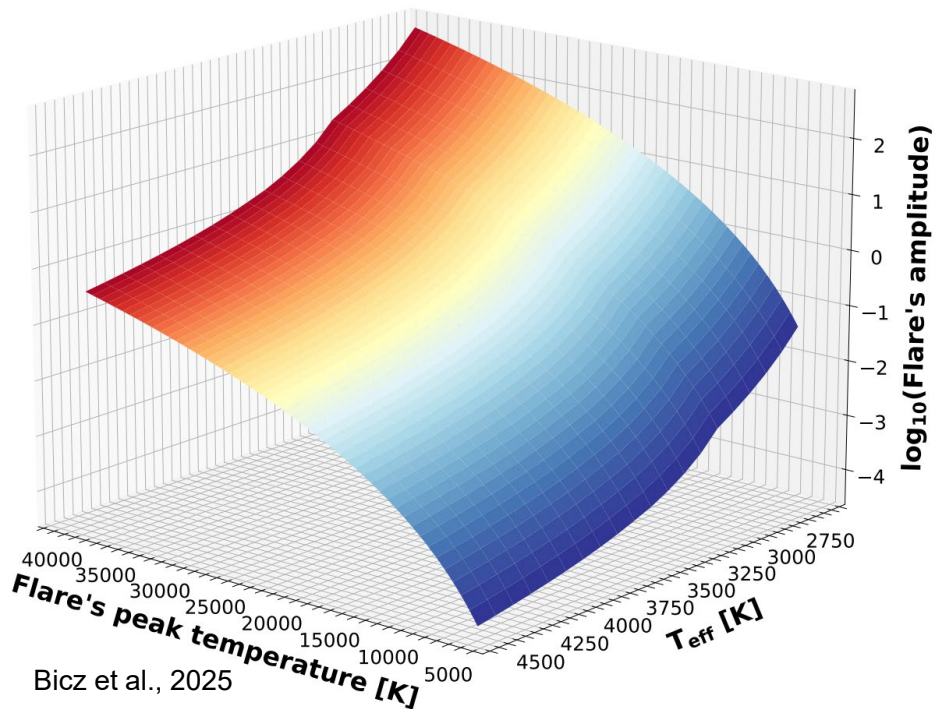
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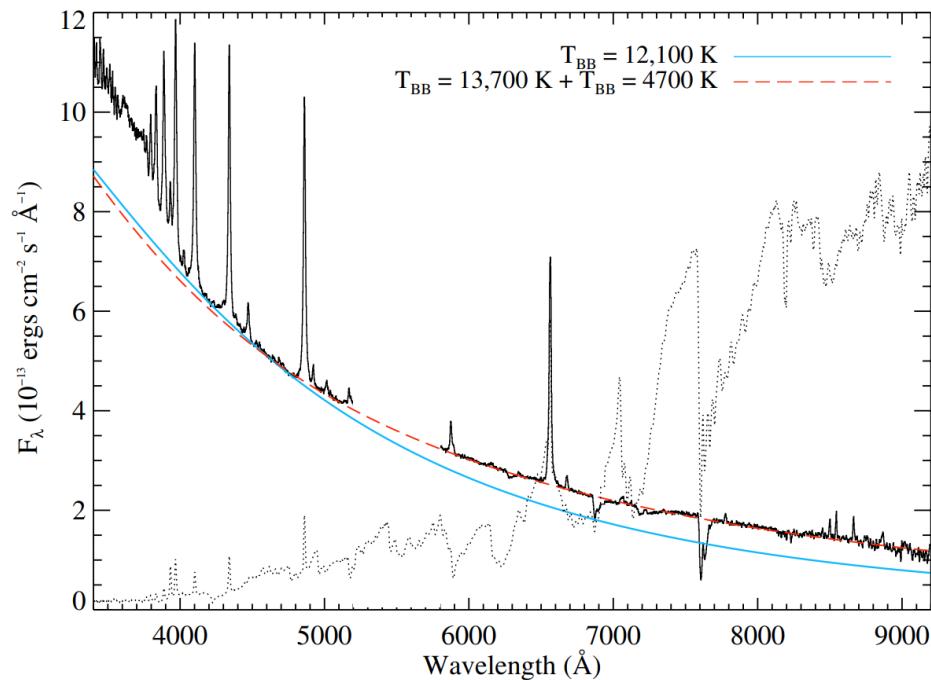


Figure 32. The peak flare-only spectrum of IF3 (S#31, black) from $\lambda = 3400\text{--}9200\text{ \AA}$. The blackbody fit to the blue-optical zone (BW1–BW6; Table 4) is shown in light blue. A fit using the sum of two blackbody curves (BW3–BW6, RW1–RW3) is shown as a red dashed line. The quiescent spectrum is shown as a dotted line.



TIME-RESOLVED PROPERTIES AND GLOBAL TRENDS IN dMe FLARES FROM SIMULTANEOUS PHOTOMETRY AND SPECTRA*

ADAM F. KOWALSKI^{1,7}, SUZANNE L. HAWLEY¹, JOHN P. WISNIEWSKI², RACHEL A. OSTEN³, ERIC J. HILTON⁴,

JON A. HOLTZMAN⁵, SARAH J. SCHMIDT⁶, AND JAMES R. A. DAVENPORT¹

¹ Astronomy Department, University of Washington, Box 351580, U.W. Seattle, WA 98195-1580, USA; adam.f.kowalski@nasa.gov

² HL Dodge Department of Physics & Astronomy, University of Oklahoma, 440 W Brooks Street, Norman, OK 73019, USA

³ Space Telescope Science Institute, 3700 San Martin Drive Baltimore, MD 21218, USA

⁴ Universe Sandbox, Seattle, WA, USA

⁵ Department of Astronomy, New Mexico State University, Box 30001, Las Cruces, NM 88003, USA

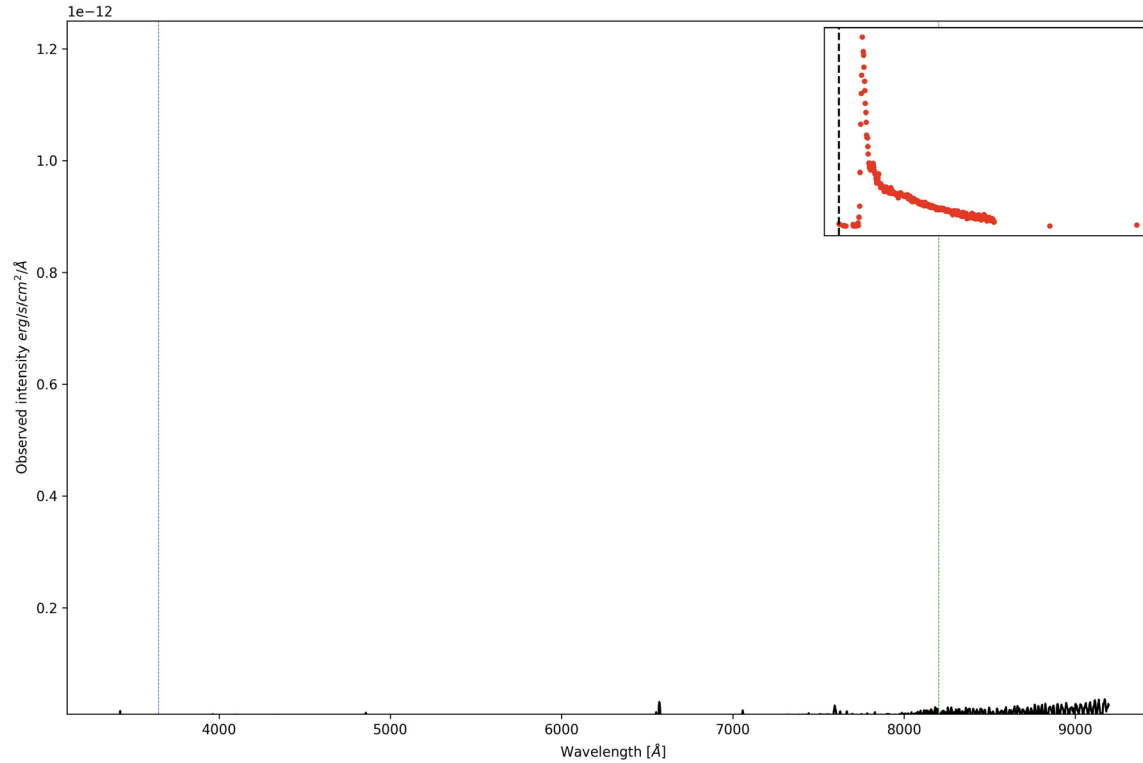
⁶ Department of Astronomy, Ohio State University, 140 West 18th Avenue, Columbus, OH 43210, USA

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ABSTRACT

We present a homogeneous analysis of line and continuum emission from simultaneous high-cadence spectra and photometry covering near-ultraviolet and optical wavelengths for 20 M dwarf flares. These data were obtained to study the white-light continuum components at bluer and redder wavelengths than the Balmer jump. Our goals were to break the degeneracy between emission mechanisms that have been fit to broadband colors of flares and to provide constraints for radiative-hydrodynamic (RHD) flare models that seek to reproduce the white-light flare emission. The main results from the analysis are the following: (1) the detection of Balmer continuum (in emission) that is present during all flares and with a wide range of relative contributions to the continuum flux at bluer wavelengths than the Balmer jump; (2) a blue continuum at flare maximum that is linearly decreasing with wavelength from $\lambda = 4000\text{--}4800\text{ \AA}$, indicative of hot, blackbody emission with typical temperatures of $T_{\text{BB}} \sim 9000\text{--}14,000\text{ K}$; (3) a redder continuum apparent at wavelengths longer than H β ($\lambda \gtrsim 4900\text{ \AA}$) which becomes relatively more important to the energy budget during the late gradual phase. The hot blackbody component and redder continuum component have been detected in previous studies of flares. However, we have found that although the hot blackbody emission component is relatively well-represented by a featureless, single-temperature Planck function, this component includes absorption features and has a continuum shape strikingly similar to the spectrum of an A-type star as directly observed in our flare spectra. New model constraints are presented for the time evolution among the hydrogen Balmer lines and between Ca II K and the blackbody continuum emission. We calculate Balmer jump flux ratios and compare to the solar-type flare heating predictions from RHD models. The model ratios are too large and the blue-optical ($\lambda = 4000\text{--}4800\text{ \AA}$) slopes are too red in both the impulsive and gradual decay phases of all 20 flares. This discrepancy implies that further work is needed to understand the heating at high column mass during dMe flares.

Key words: stars: atmospheres – stars: flare



Kamil Bicz, Astronomical Institute, University of Wrocław

Attention!



Kamil Bicz

Astronomical Institute, University of Wrocław



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Thank you for your attention!

Kamil Bicz

bicz@astro.uni.wroc.pl

Astronomical Institute

University of Wrocław

Kopernika 11, 51-622 Wrocław, Poland

Bezovec
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